

Business Process Management

Orchestrations, Choreographies, and Verification

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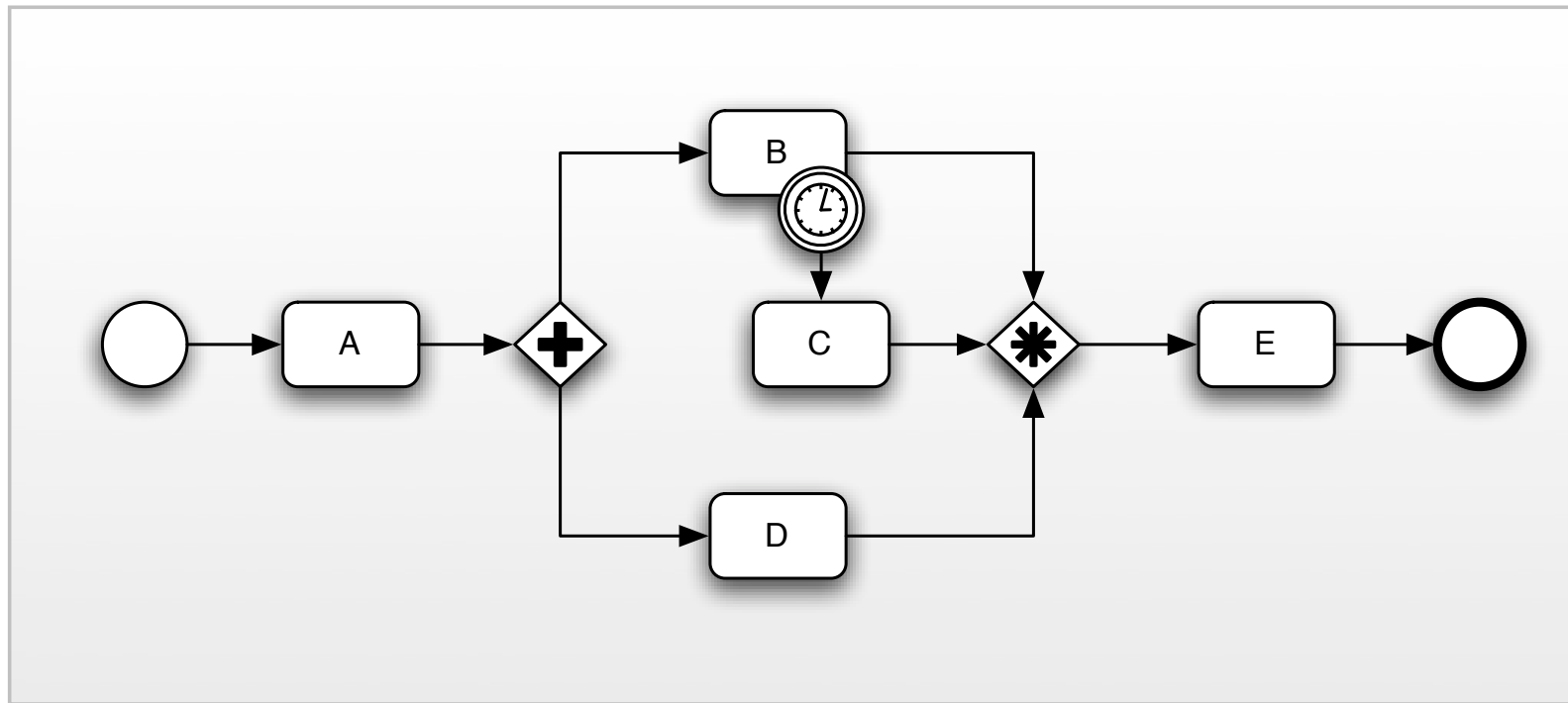
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Mapping Graphical Notations

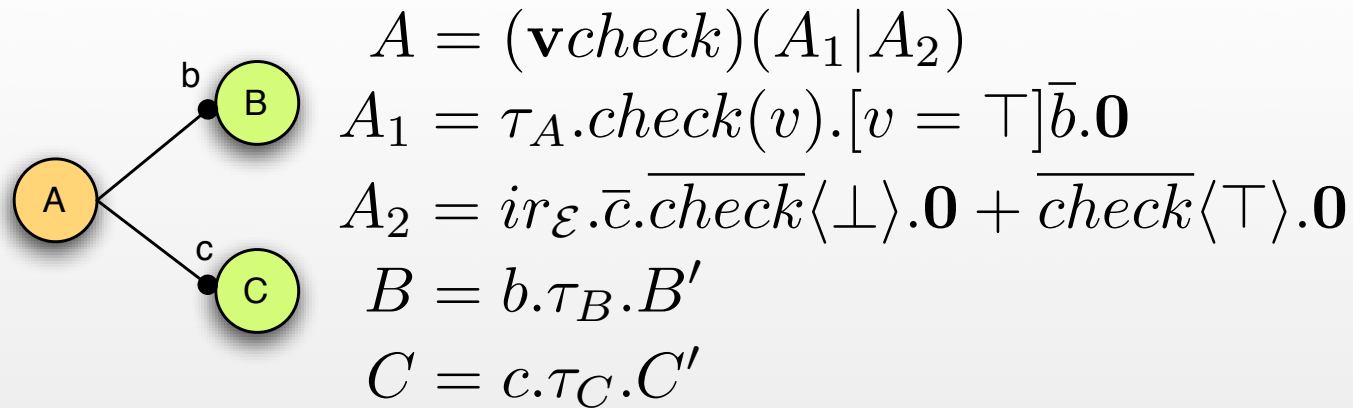
- The Pi-Calculus can be used as a formal foundation for graphical notations; e.g.
 - UML Activity Diagrams
 - BPMN
- Allows for the execution, monitoring, and analysis of these “informal” notations

BPMN2Pi Mapping Steps (Single Pools)

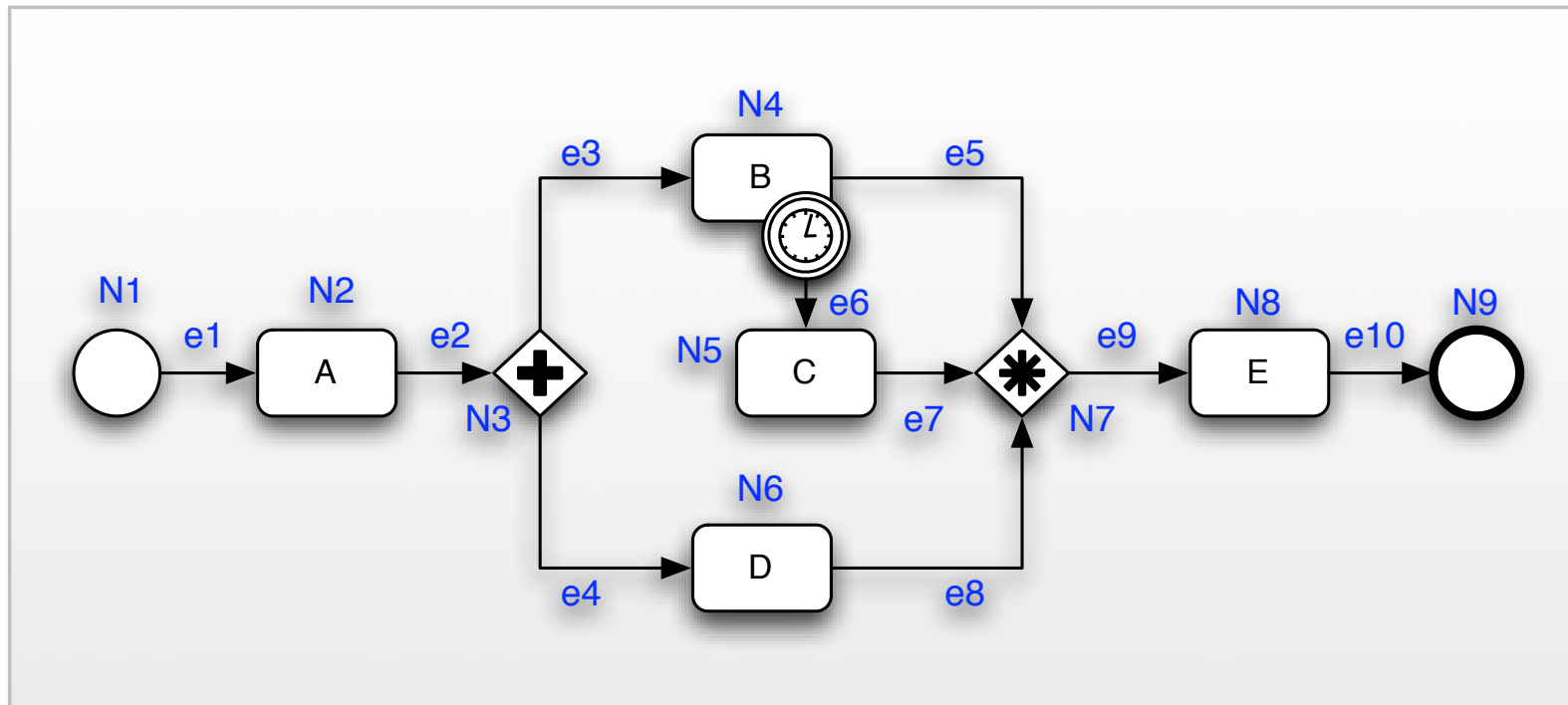
- Assign all flow objects an unique Pi-Calculus agent identifier
- Assign all sequence flows an unique Pi-Calculus name
- “Extend” the Pi-Calculus agents corresponding to the Workflow patterns



BPMN Example (I)



Event-based Rerouting (Simple Version)

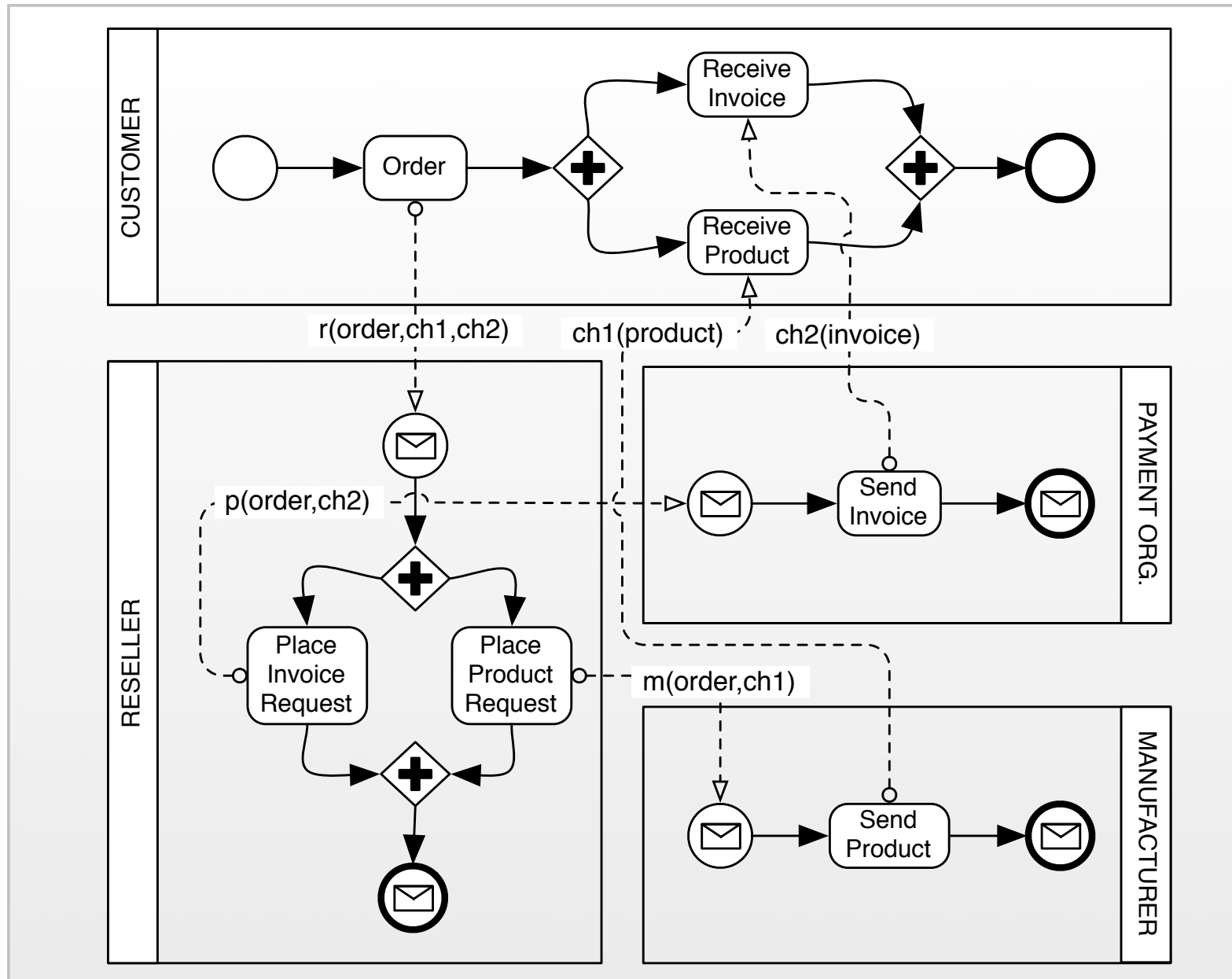


BPMN Example (2)

Choreographies

- Formalized business processes can be combined to choreographies
- Questions:
 - How to represent message flows?
 - How to represent dynamic binding?
 - How to represent correlations?

Example



Dynamic Binding and Correlations

- Idea:
 - Pi-Calculus names are used to represent message flows between a number of processes
- A combination of link passing mobility and scope extrusions realizes dynamic binding directly

Correlations

- A can invoke B several times
- Correlations managed by the restricted name ch :

$$A \stackrel{def}{=} \nu ch \bar{b}\langle ch \rangle.(ch(r).A' \mid A)$$

$$B \stackrel{def}{=} \nu r b(ch).(\tau.\overline{ch}\langle r \rangle.\mathbf{0} \mid B)$$

Send Interaction Pattern

- Send:

$$A \stackrel{def}{=} \langle \cdot \rangle . \overline{ch} \langle msg \rangle . 0$$

- Static binding:

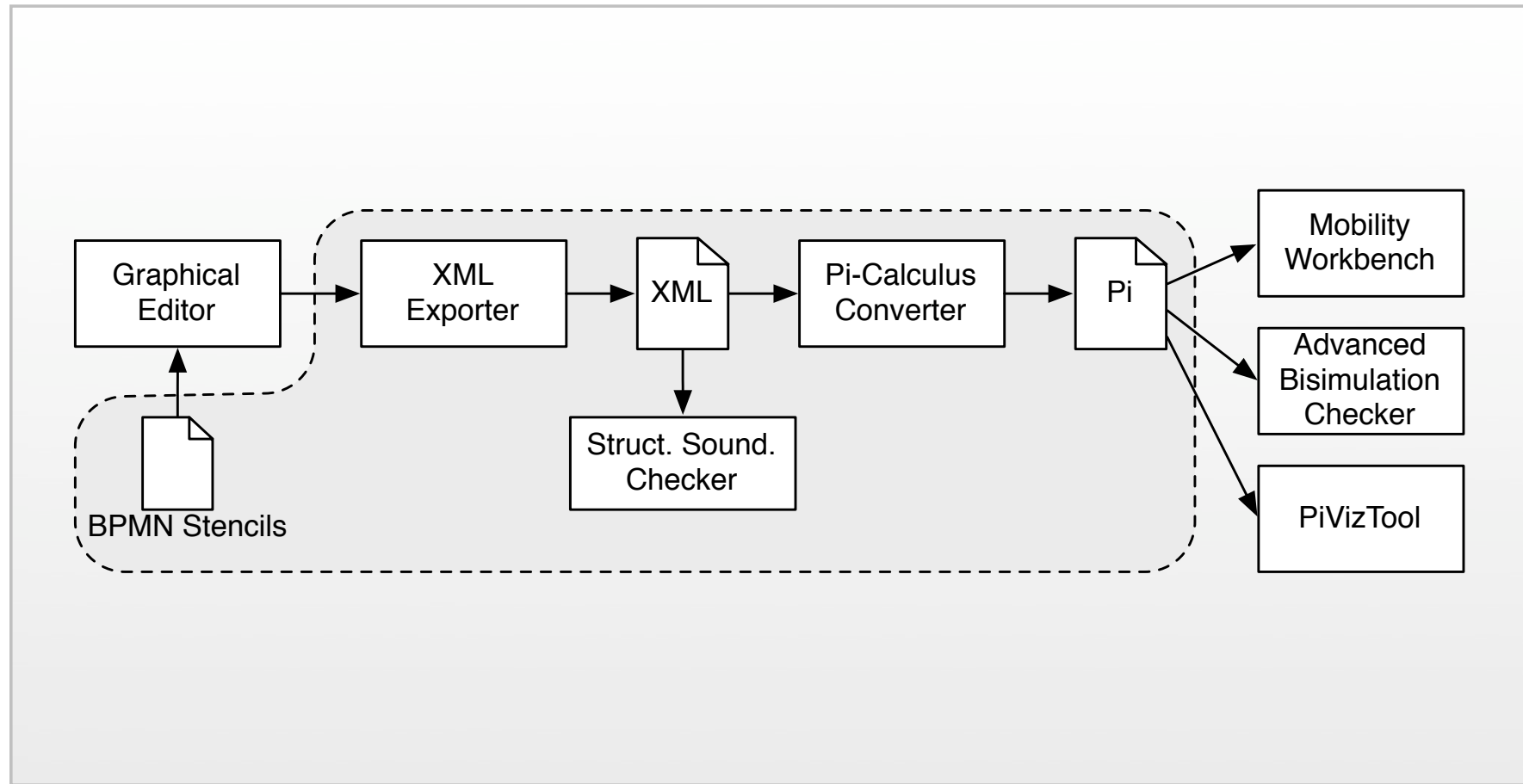
$$I \stackrel{def}{=} \nu ch (A \mid E)$$

- Dynamic binding:

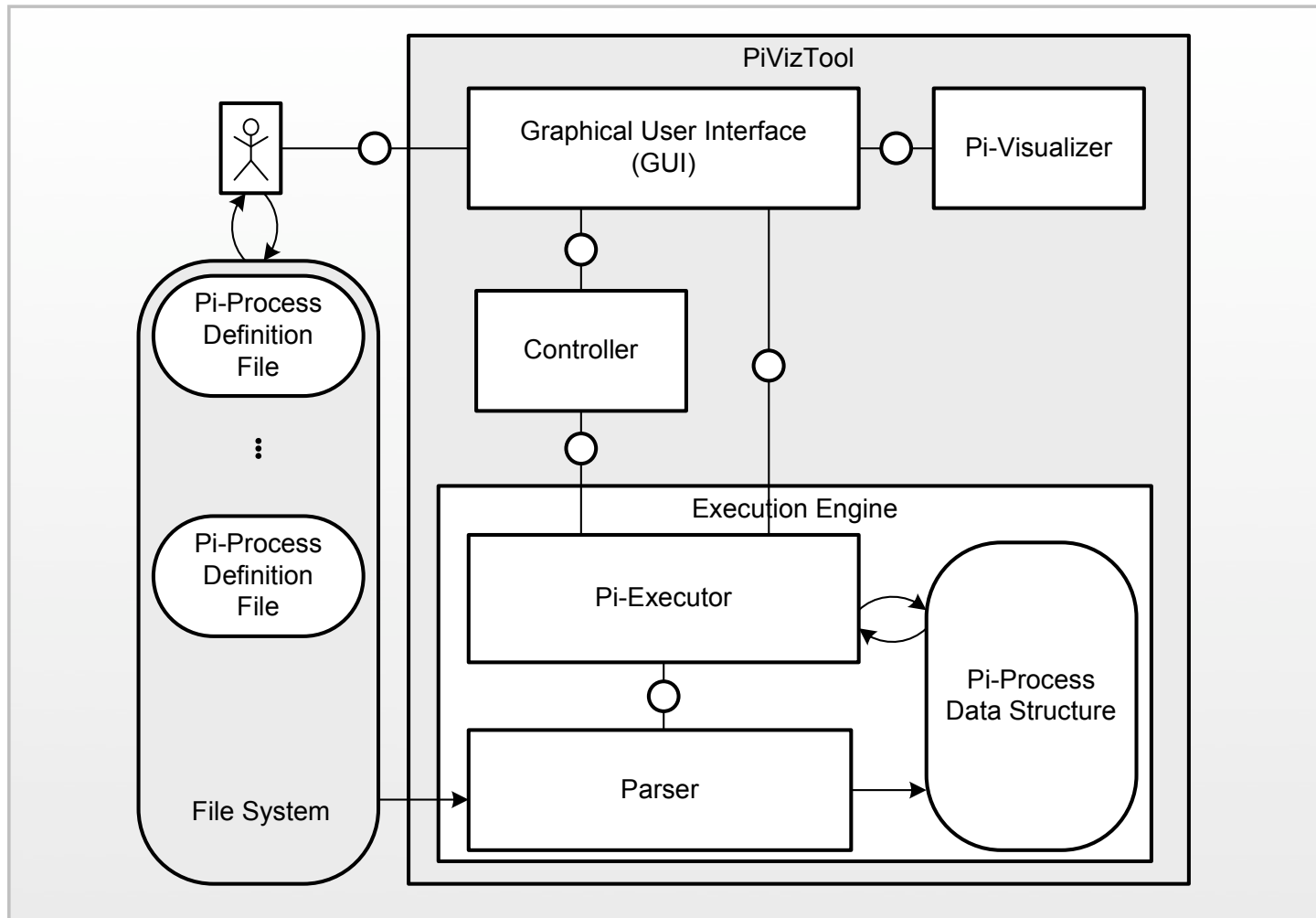
$$I \stackrel{def}{=} \nu lookup (lookup(ch).A \mid \mathbb{E})$$

Tool support

- BPMN to pi-calculus mapper
- Graphical pi-calculus simulator optimized for the BPM domain (PiVizTool)
- Reasoners



Tool Chain



PiVizTool

Verification

- Formalized business processes can be checked according to
 - Different kinds of soundness
 - Compatibility
 - Conformance

Reasoning about Soundness using Bisimulation Equivalences

- Idea:
 - Use bisimulation to prove invariants of the formalized BPDs
 - Invariants are denoted as „trivial“ agents
- Question:
 - Where to start?

Observables

- What can we observe?
- Reductions
 - Intra-actions
 - Internal actions
- Interactions with the environment?
 - Start Event, End Event, Service Invocations?

Action Semantics

- We're interested in observing „certain“ names:
 - All free names of a system
 - These can interact with the environment via matching input and output prefixes not contained in the system
- Requires a different semantics with a labeled transition system

$$\alpha ::= \bar{x}\langle y \rangle \mid x(y) \mid \bar{x}\langle \mathbf{v}z \rangle \mid \tau$$

The LTS Actions

Bisimulation

- Let P and Q be two related agents. If P can evolve to P' , then also Q must be able to evolve to Q' such that P' and Q' are again related. If the same holds for the opposite direction, starting from Q , the two agents are called bisimilar or bisimulation equivalent.

Weak Bisimulation

- A weak bisimulation relates more agents by stating that an action of P can be weakly mimicked by Q (and vice versa):
 - If P has an action α , then also Q has an action α enclosed in sequences of τ
 - The length of the τ sequences can be zero (i.e. it includes the previous definition)

Structural Soundness

- According to the definition of a workflow net:
- A business process is structural sound if
 - there exists exactly one initial node,
 - there exists exactly one final node, and
 - each node is on a path in between initial and final node.

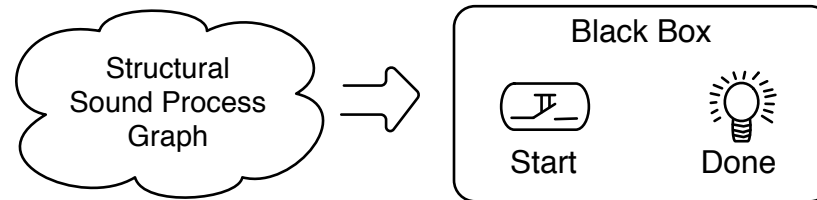
Lazy Soundness

- Key concept:
 - Each structural sound business process should always be able to deliver the result, regardless of the internal actions
- Invariant:

$$S_{LAZY} \stackrel{def}{=} i.\tau.\bar{0}.0$$

Observation of Lazy Soundness

- Idea: Observation of the Start and End-Events:



- Questions:
 - Waited long enough?
 - Captured all possibilities?

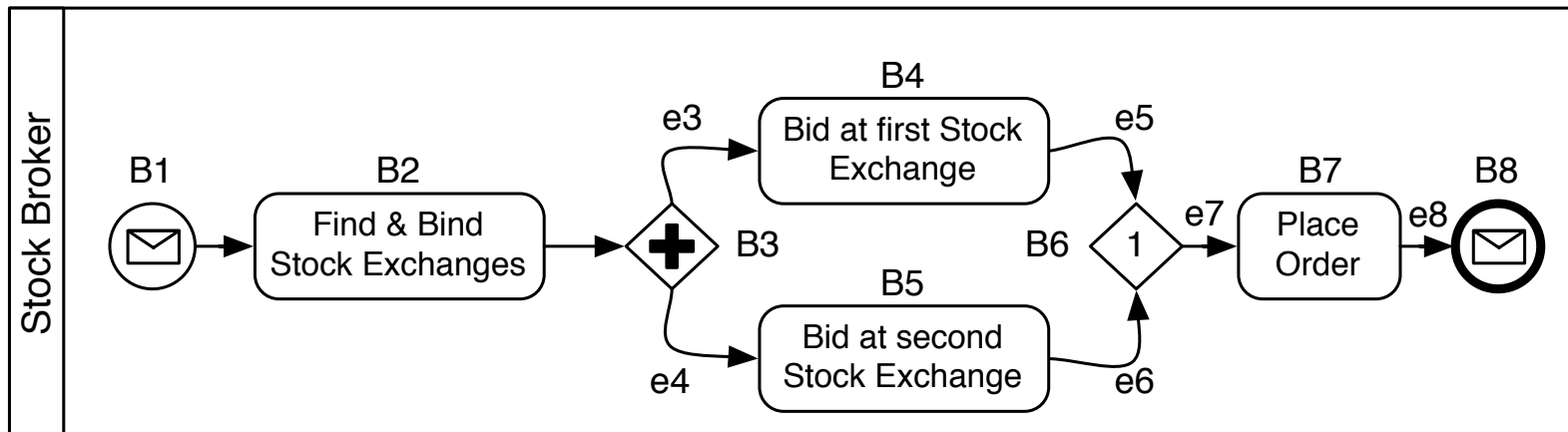
Proving Lazy Soundness

- Lazy soundness can be proved:
 - Map the corresponding business process to agents
 - Annotate the agents representing the initial and the final node with „i“ or „o“ accordingly
- Decide weak bisimulation equivalence between S_LAZY and the mapping

Notes

- Lazy Soundness does not coincide with existing soundness properties
- Allows activities to be active after the final node has been reached!
 - These are called clean-up, or lazy activities
- Dead activities might be contained
- Requires the distinction between the point in time where a business process delivers the result vs. the moment it terminates

Example

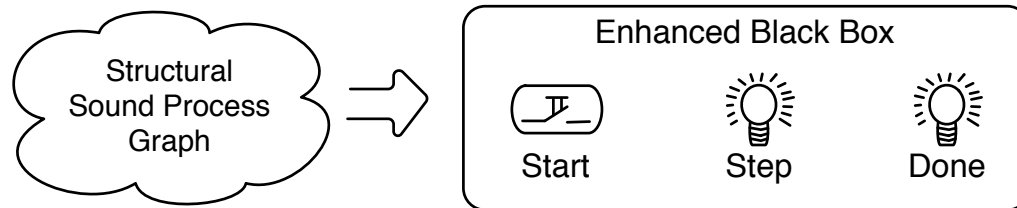


Existing Soundness Properties

- Weak Soundness:
 - The delivery of the result denotes the termination of the business process
 - Invariant: The final activity is observed exactly once, and no other activity can be observed after the final node
- Relaxed Soundness:
 - All activities participate in the business process
 - Invariant: Each activity can be observed at least once

Extension of the Black Box

- The black box has to be extended:



- Bisimulation used for weak soundness (must)
- Simulation for relaxed soundness (can)
- Soundness is a combination of weak/relaxed sound

Further Verification

- Compatibility:
 - Lazy soundness can be extended to „Interaction Soundness“ representing a compatibility notion with support for dynamic binding
- Conformance:
 - Bisimulation can be used as a conformance notion

The End.